



# Modeling of Mobile Objects Routes

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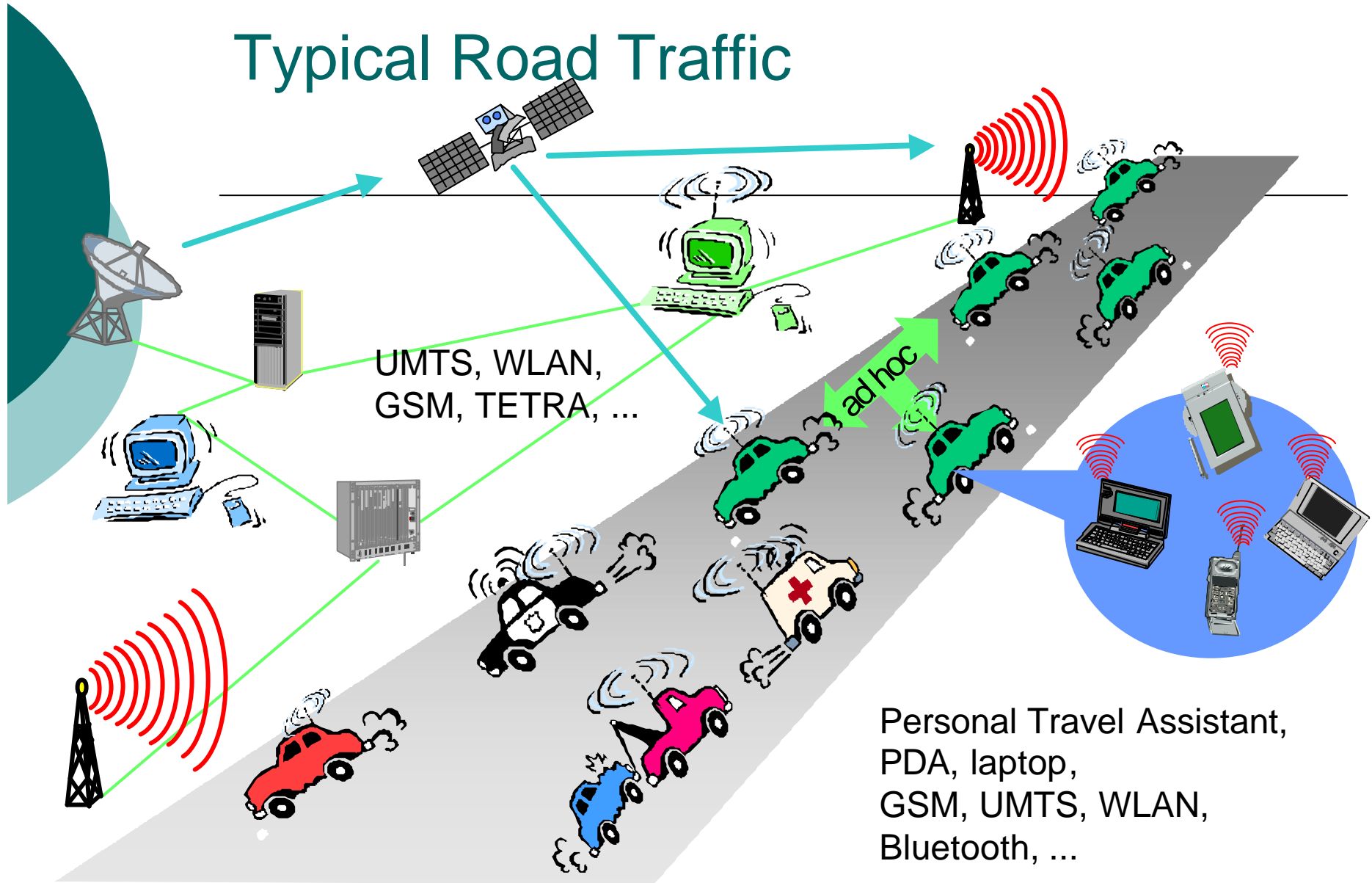
# Where modeling of the mobile objects is needed?

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In any kind of network:

- ✍ Road traffic network
- ✍ LAN / WAN / Internet / Intranet
- ✍ GSM
- ✍ UMTS
- ✍ WLAN
- ✍ Neural
- ✍ Social
- ✍ And many others

# Typical Road Traffic

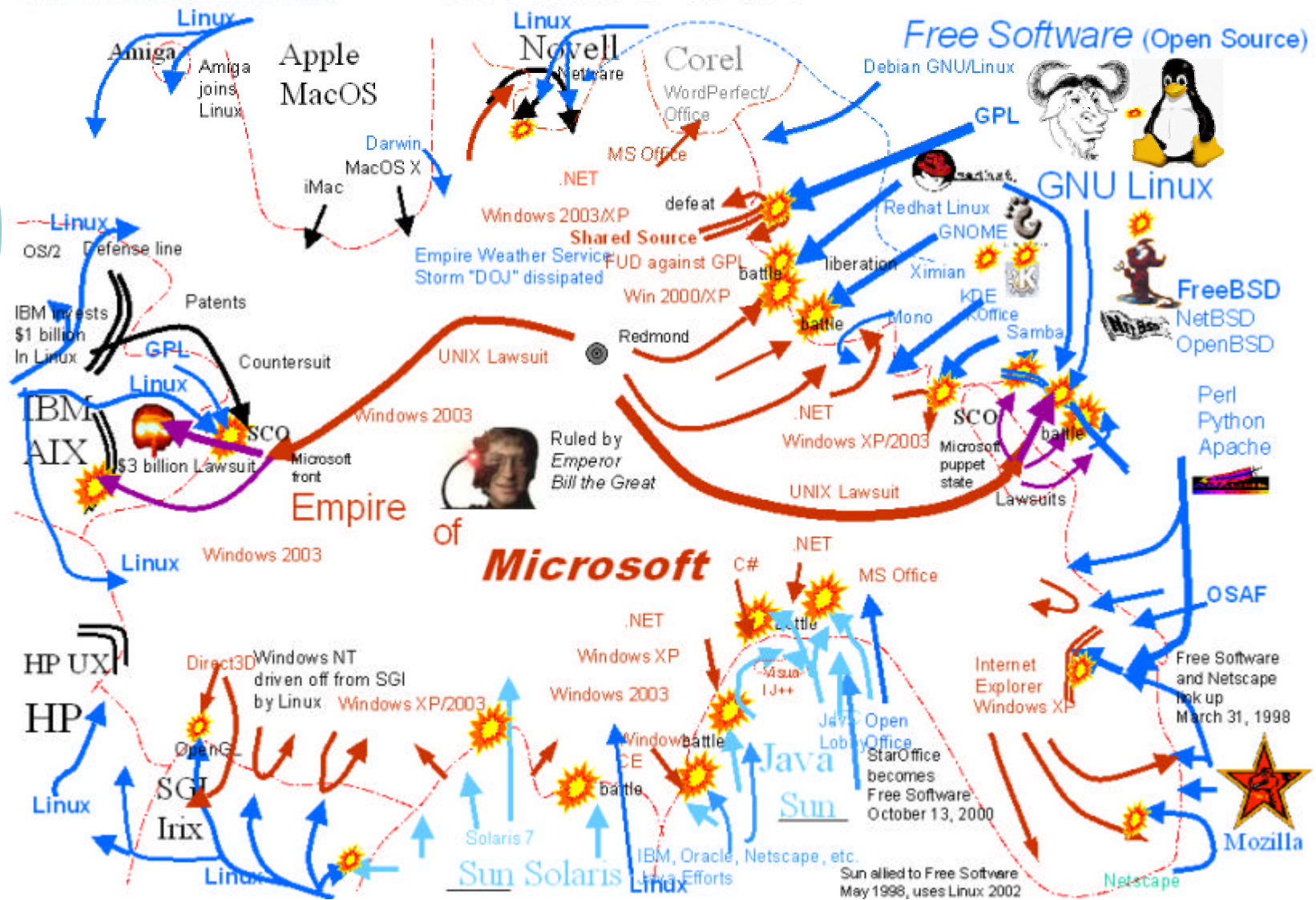


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Last modified August 10, 2003  
<http://www.atai.org/softwarewar.png>

# Software Wars

## Empire Strikes Back





## Such model is needed to

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- ✍ know where mobile object can go;
- ✍ find the fastest/best route from S (source) to D (destination);
- ✍ find the average route from S to D;
- ✍ find the most used places in network;
- ✍ locate bottlenecks;
- ✍ try predicting traffic in network and find possible problems in current topology



## The model

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First we need a matrix which consist of elements  $p_{sd}$ , where its value means that we can take a path from  $s$  to  $d$  with probability  $p_{sd}$

Then the probability of the route can be calculated:

$$\textit{Route} \ ? \ ? \ P_{sd}$$

$s, d$



## The model

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To get some specific route data we need a matrix with specific information. For example with times needed to travel each direction:

- ✍ then  $t_{sd}$  value in matrix shows the time needed to travel from  $s$  to  $d$  is  $t_{sd}$

Then time needed to travel a certain route can be calculated:

$$\text{Route ? } \underset{s,d}{?} p_{sd} * t_{sd}$$



## The model

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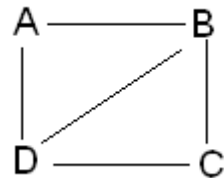
- ✍ In many cases average time spent in route is needed. Average values can be calculated like this:

$$\text{Average} = \sum_{i \text{ Routes}} \text{route}_i \text{probability} \cdot \text{route}_i \text{time}$$



# Example in network of 4 elements

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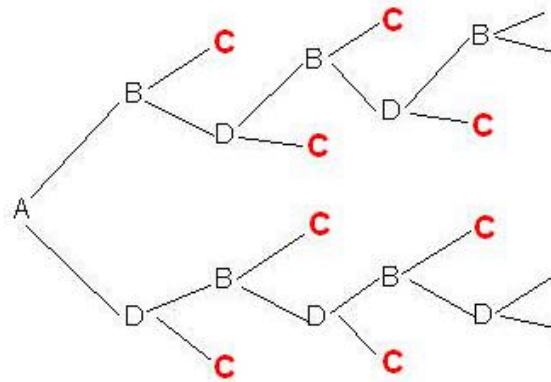


	<i>A</i>	<i>B</i>	<i>C</i>	<i>D</i>
<i>A</i>	?	$\frac{1}{2}$	?	$\frac{1}{2}$
<i>B</i>	?	?	$\frac{1}{2}$	$\frac{1}{2}$
<i>C</i>	?	?	?	?
<i>D</i>	?	$\frac{1}{2}$	$\frac{1}{2}$	?

Let us consider a homogeneous network. Then all available links have the same probabilities (B and D can not return to A), if probability is equal to ? then it is known that travel on such link is not possible.

# Example in network of 4 elements

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Possible routes from A to C:

- ✍  $ABC = ADC = \frac{1}{2} * \frac{1}{2} = \frac{1}{4}$
- ✍  $ABDC = ADBC = \frac{1}{2} * \frac{1}{2} * \frac{1}{2} = \frac{1}{8}$
- ✍  $ABDBC = ADBDC = \frac{1}{2} * \frac{1}{2} * \frac{1}{2} * \frac{1}{2} = \frac{1}{16}$
- ✍ and so on



# This model capabilities

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With this model is possible to:

- ✍ find probability of a route;
- ✍ find the best / worst / average route;
- ✍ find the best / worst / average time (or other quantity) having additional data



# Research directions

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- ✍ Model a bigger network
- ✍ Model and Analyze network usage:
  - ✍ throughput
  - ✍ guaranteed service
  - ✍ delays
  - ✍ Bottlenecks

